

**AN** - 1998-428718 [37]  
**XP** - N1998-334669  
**TI** - Digital signature generating method for message - using secret key containing several large primary numbers and forming signature using zero point of polynom using random permutation polynom  
**DC** - W01  
**PA** - (DEBP ) DEUT TELEKOM AG  
**IN** - HUBER K; SCHWENK J  
**NP** - 4  
**NC** - 24  
**PN** - DE19703929 A1 19980806 DW1998-37 H04L-009/30 4p \*  
 AP: 1997DE-1003929 19970204

WO9834373 A1 19980806 DW1998-37 H04L-009/32 Ger  
 AP: 1998WO-EP00303 19980121  
 DSNW: CA CN JP KR TR US  
 DSRW: AT BE CH DE DK ES FI FR GB GR IE IT LU MC NL PT SE

EP-958676 A1 19991124 DW1999-54 H04L-009/32 Ger  
 FD: Based on WO9834373  
 AP: 1998EP-0904107 19980121; 1998WO-EP00303 19980121  
 DSR: AT BE CH DE DK ES FI FR GB GR IE IT LI LU MC NL PT SE

JP2001509914 W 20010724 DW2001-47 G09C-001/00 20p  
 FD: Based on WO9834373  
 AP: 1998JP-0532501 19980121; 1998WO-EP00303 19980121

**PR** - 1997DE-1003929 19970204  
**IC** - G09C-001/00 H04L-009/30 H04L-009/32  
**AB** - DE19703929 A  
 The method involves using a secret key containing several large primary numbers (p,q). The zero point of a polynom  $P(x)-m$  modulo n forms the signature, with  $P(x)$  a random permutation polynom modulo n. Preferably, the product n is formed from the primary numbers, and the signature is generated as  $s = b*u*p + a*V*q \text{ mod } n$ , while starting from the equation  $1 = u * p + v * q$  the values u are calculated by widened Euclidian algorithm. The values a, b are obtained from the equation  $ggT(P(x)-m, x \exp p -x) \text{ mod } p = x-a$ ;  $ggT(P(x)-m, x \exp q -x) \text{ mod } q = x-b$ .  
 USE - E.g. for public key signature processes in data communication.  
 ADVANTAGE - Provides always valid signature. (Dwg.0/0)  
**MC** - EPI: W01-A05B  
**UP** - 1998-37  
**UE** - 1998-37; 1999-54; 2001-47